

# A $\beta$ -Decay Total Absorption Spectrometer for DESPEC

- The TAS technique
- Importance of beta strength distributions
- Status of the project

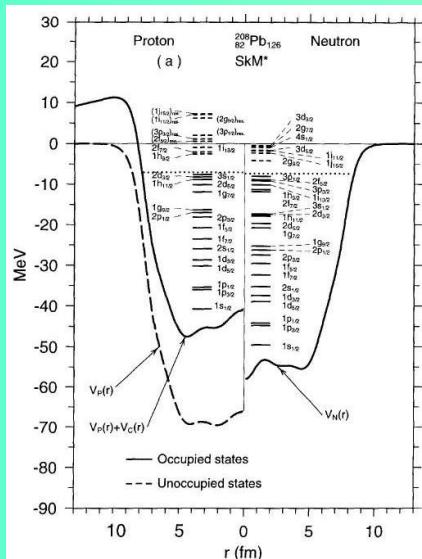
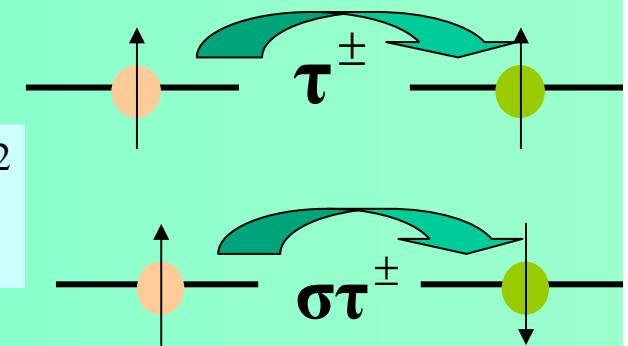
- Total Absorption Spectroscopy is the best method to measure beta strengths in  $\beta$ -decay for complex decay schemes

An accurate knowledge of the distribution of the  $\beta$ -decay probability over the daughter-nucleus levels provides information for the understanding of the structure of nuclei of importance on its own or for other fields as astrophysics and nuclear technology

- Basic process:  
simple and sensitive  
to the wave function

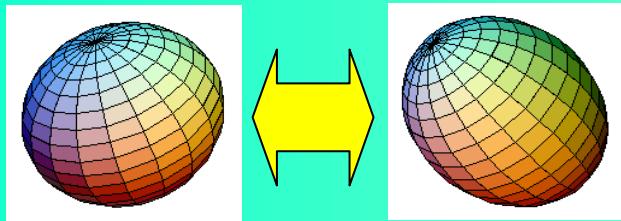
### Fermi / Gamow-Teller

$$S_\beta \propto \left| \langle \Psi_f | \tau^\pm \text{ or } \sigma \tau^\pm | \Psi_i \rangle \right|^2$$

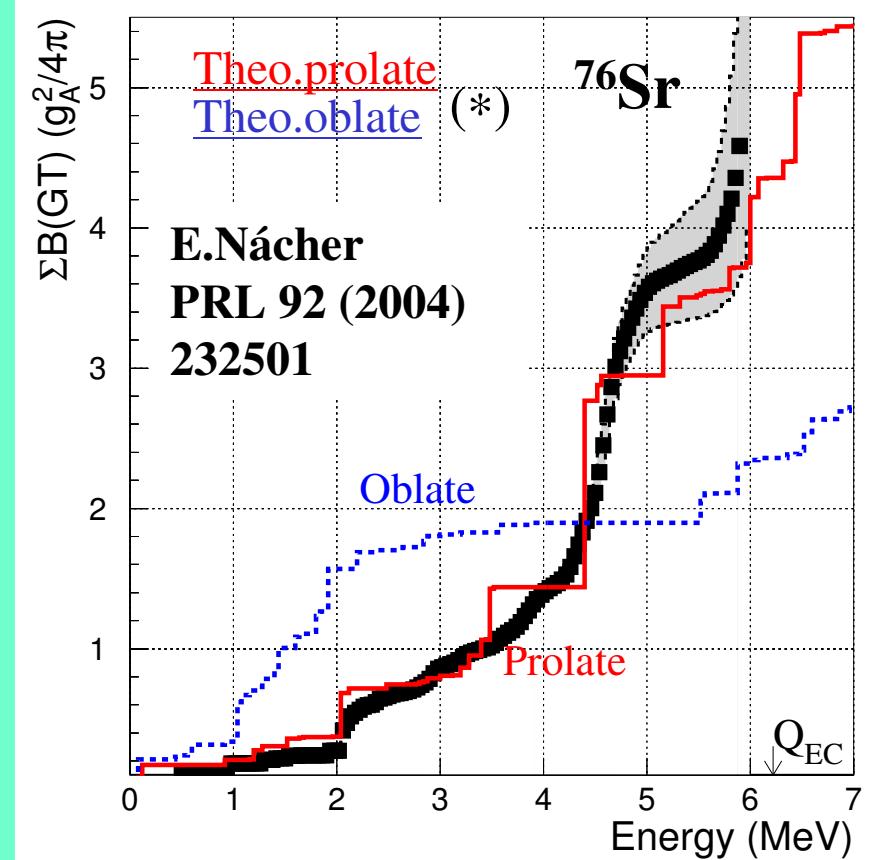
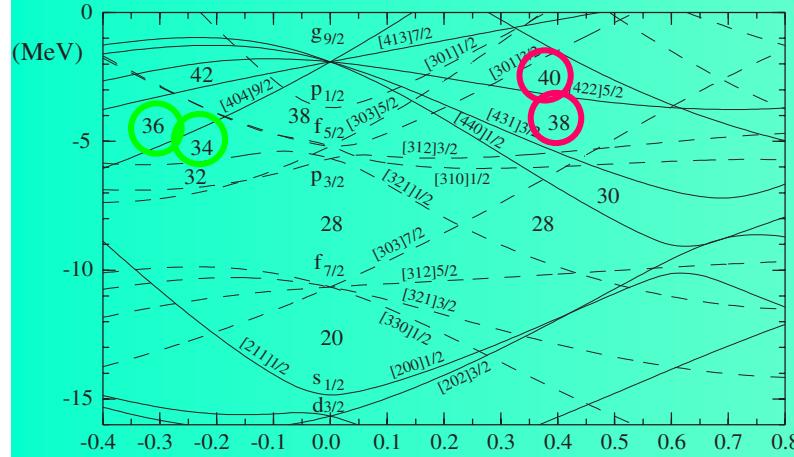


- In general the bulk of the strength lies outside the  $Q_\beta$  window but the structure inside reveals the nuclear structure

# Oblate-prolate competition



$N \sim Z$  nuclei with  $A \sim 70-80$

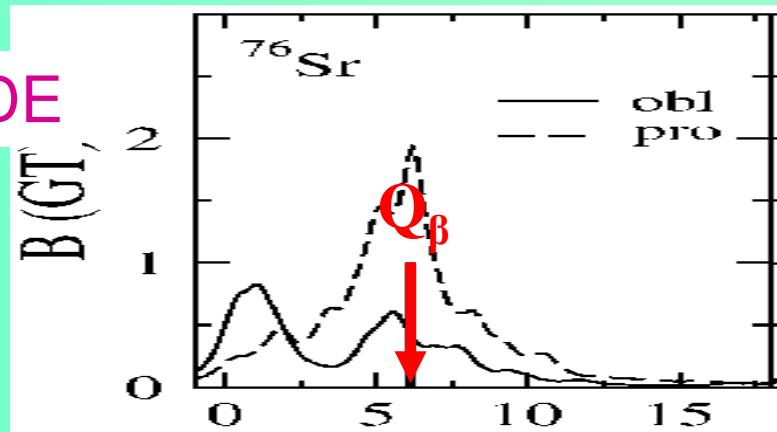


(\*) P.Sarriguren et al.NPA 658 (1999)13

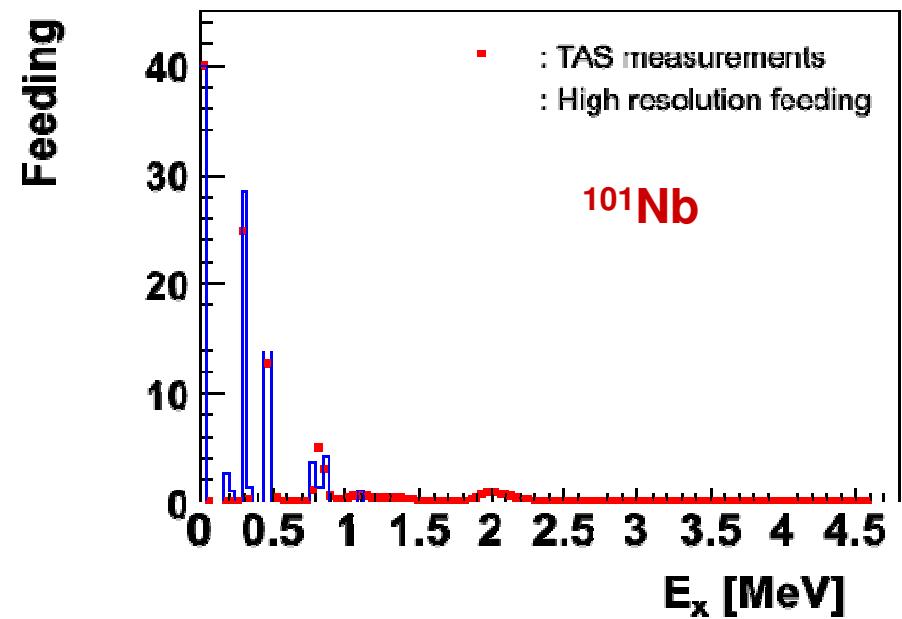
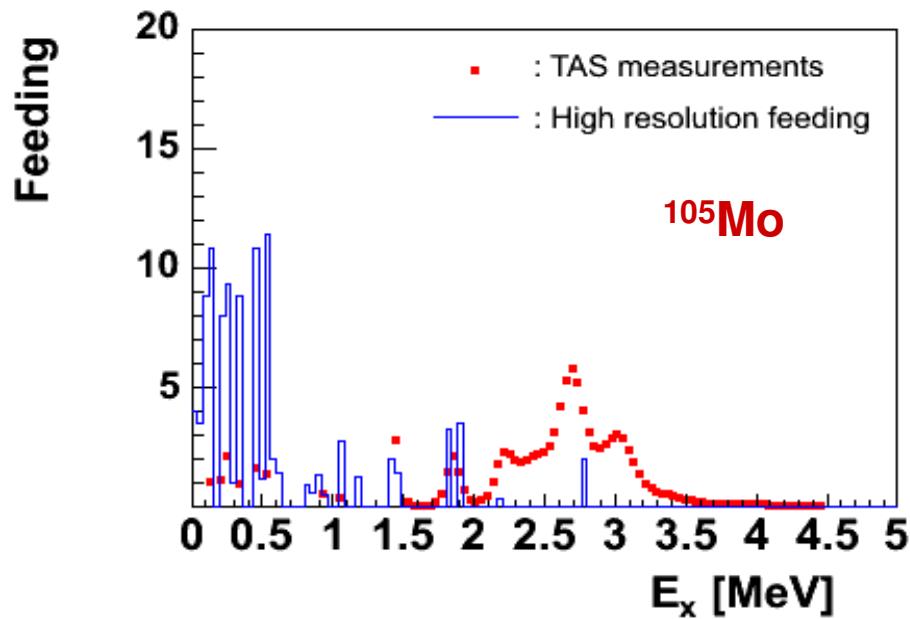


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- **Avoids the “Pandemonium effect”: misplacement of  $\beta$ -intensity to lower  $E_x$  when using high resolution (germanium) spectroscopy**

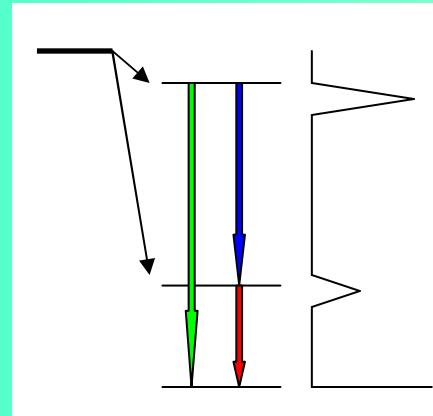
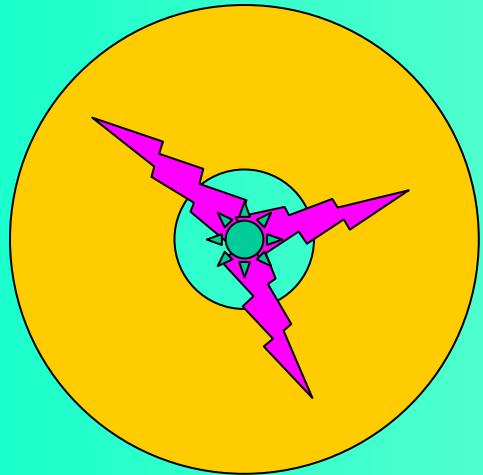


Pandemonium effect is due to:

- Fragmentation of the intensity (large level densities)
- Limited efficiency of Ge detectors

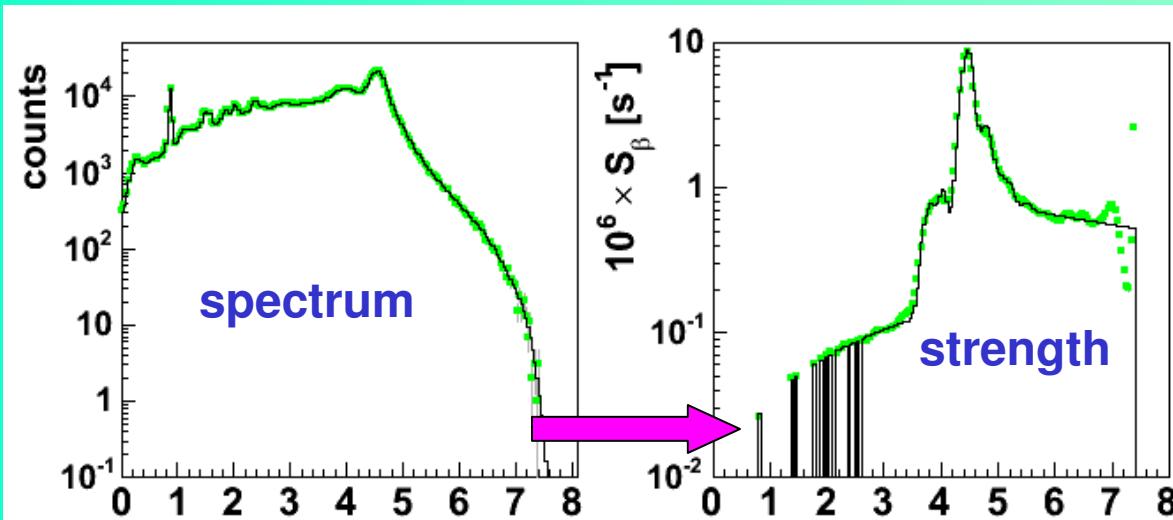
Is likely to happen when the level density is large but ultimately depends on nuclear structure

- Uses **large  $4\pi$  scintillation detectors**, aiming **to detect the full  $\gamma$ -ray cascade** rather than individual  $\gamma$ -rays



An ideal TAS would give directly the  $\beta$ -intensity  $I_\beta$

$$S_i = \frac{I_i}{f(Q_\beta - E_i)T_{1/2}} \quad [s^{-1}]$$



Deconvolution with spectrometer response to decay

$$\mathbf{f} = " \mathbf{R}^{-1} \cdot \mathbf{d} "$$

$$\mathbf{R}_j = \sum_{k=0}^{j-1} b_{jk} \mathbf{g}_{jk} \otimes \mathbf{R}_k$$

Response from MC simulations and nuclear statistical model

# How do we extract the $\beta$ -intensity (strength) from TAS spectra?

Relation between TAS data and the  $\beta$ -intensity distribution:

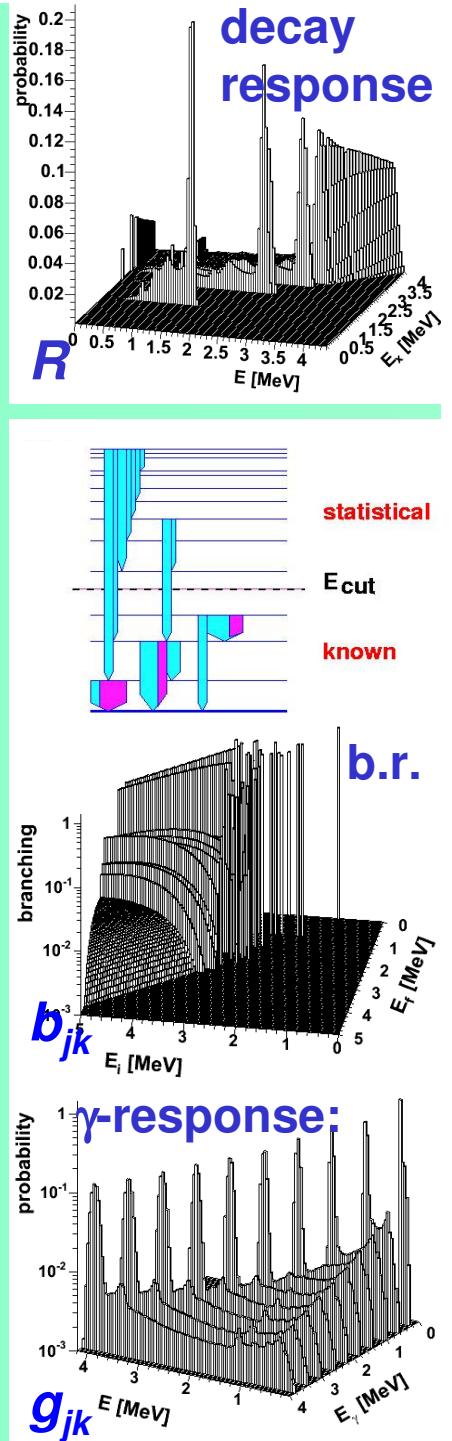
$$d_i = \sum_j R_{ij} f_j \quad \leftarrow \quad R_j = \sum_{k=0}^{j-1} b_{jk} g_{jk} \otimes R_k$$

$I_i = f_i / \sum_k f_k$

Deconvolution algorithms  
(inverse problem):  
EM, ME & LR

$R_j$ : decay response for level  $j$   
 $b_{jk}$ : branching ratios  $j \rightarrow k$ , from known level scheme and nuclear statistical model  
 $g_{jk}$ :  $\gamma$ -ray response  $j \rightarrow k$ , from Monte Carlo simulations

(the response may contain also the  $\beta$ -penetration, CE effect, isomer effect, ...)



- Accurate beta intensity distribution measurements have also applications in nuclear technology ...

## Improvement of reactor decay heat calculations based on evaluated data

$$\langle E_{\gamma} \rangle$$

$$H(t) = \sum_{i=1}^n N_i(t) \frac{\ln 2}{T_{1/2}^i} \int_0^{Q_{\beta}^i} I_{\beta}^i(E_x) \underbrace{[E_x + \hat{E}_{\beta}(E_x)]}_{\langle E_{\beta} \rangle} dE_x$$

$$\langle E_{\beta} \rangle$$

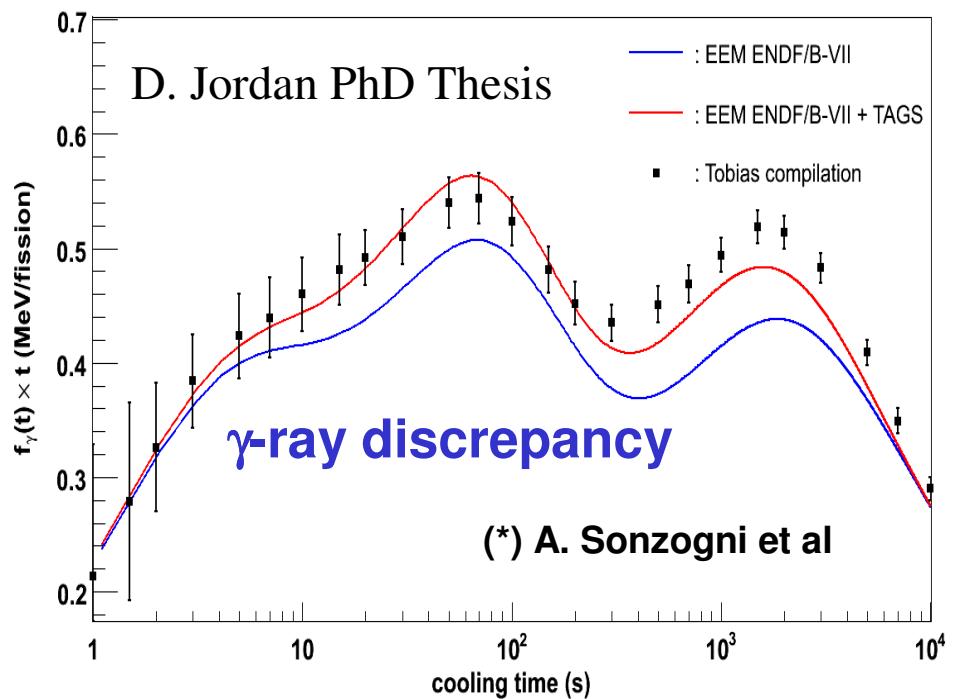
IGISOL +  
JFLTRAP  
@Jyvaskyla



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Debrecen, Gatchina,  
Surrey

102Ru STABLE 31.55%	103Ru 39.26 D β⁻: 100.00%	104Ru STABLE 18.62%	105Ru 4.44 H β⁻: 100.00%	106Ru 373.59 D β⁻: 100.00%	107Ru 3.75 M β⁻: 100.00%	108Ru 4.55 M β⁻: 100.00%	109Ru 34.5 S β⁻: 100.00%
101Tc 14.22 M β⁻: 100.00%	102Tc 5.28 S β⁻: 100.00%	103Tc 54.2 S β⁻: 100.00%	104Tc 18.3 M β⁻: 100.00%	105Tc 7.6 M β⁻: 100.00%	106Tc 35.6 S β⁻: 100.00%	107Tc 21.2 S β⁻: 100.00%	108Tc 5.17 S β⁻: 100.00%
100Mo 0.78E+19 Y 9.63% 2β⁻: 100.00%	101Mo 14.61 M β⁻: 100.00%	102Mo 11.3 M β⁻: 100.00%	103Mo 67.5 S β⁻: 100.00%	104Mo 60 S β⁻: 100.00%	105Mo 35.6 S β⁻: 100.00%	106Mo 8.4 S β⁻: 100.00%	107Mo 3.5 S β⁻: 100.00%
99Nb 15.0 S β⁻: 100.00%	100Nb 1.5 S β⁻: 100.00%	101Nb 7.1 S β⁻: 100.00%	102Nb 4.3 S β⁻: 100.00%	103Nb 1.5 S β⁻: 100.00%	104Nb 4.9 S β⁻: 100.00%	105Nb 2.95 S β⁻: 100.00%	106Nb 1.02 S β⁻: 100.00%
43							
41							
58	60	62	64				

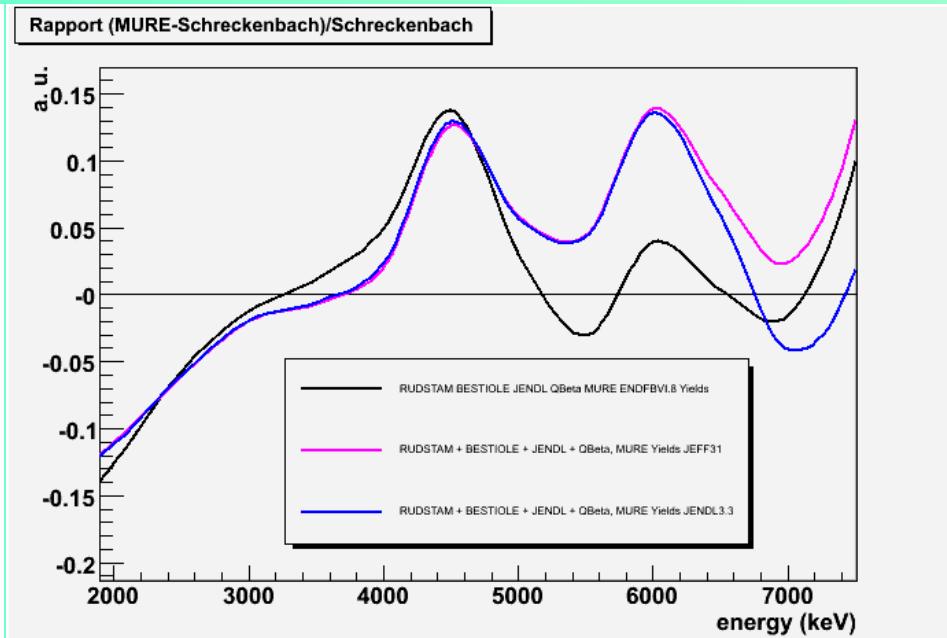
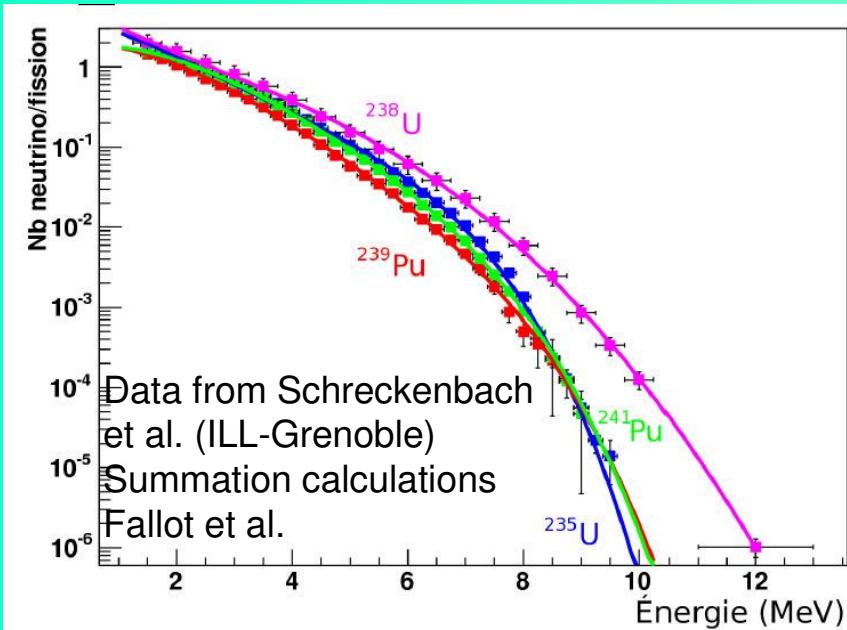
### Time evolution of the decay heat



... and applications in fundamental physics

## Reactor neutrino spectrum: neutrino oscillations and homeland security

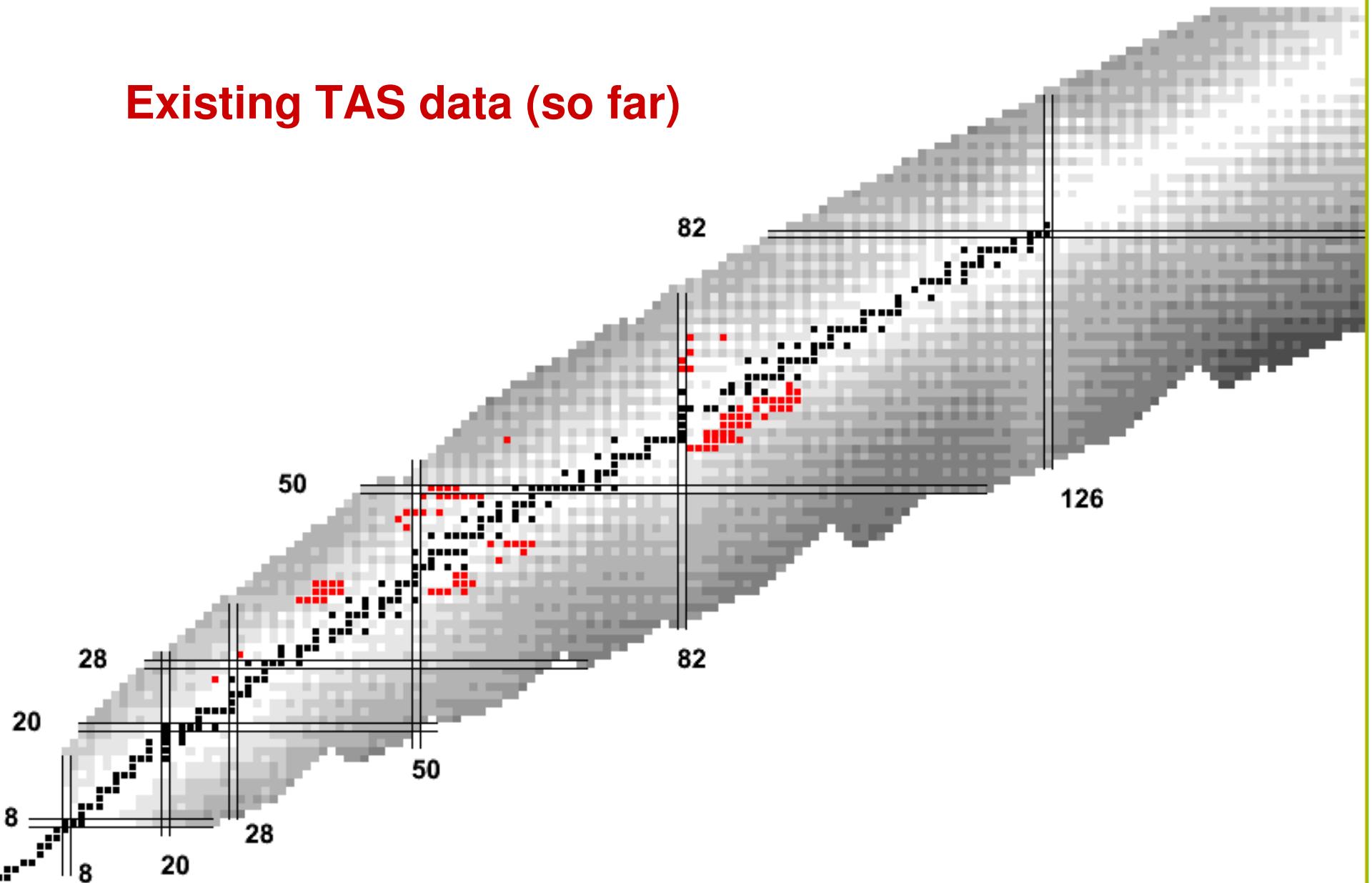
How well known is the reactor anti-neutrino spectrum?

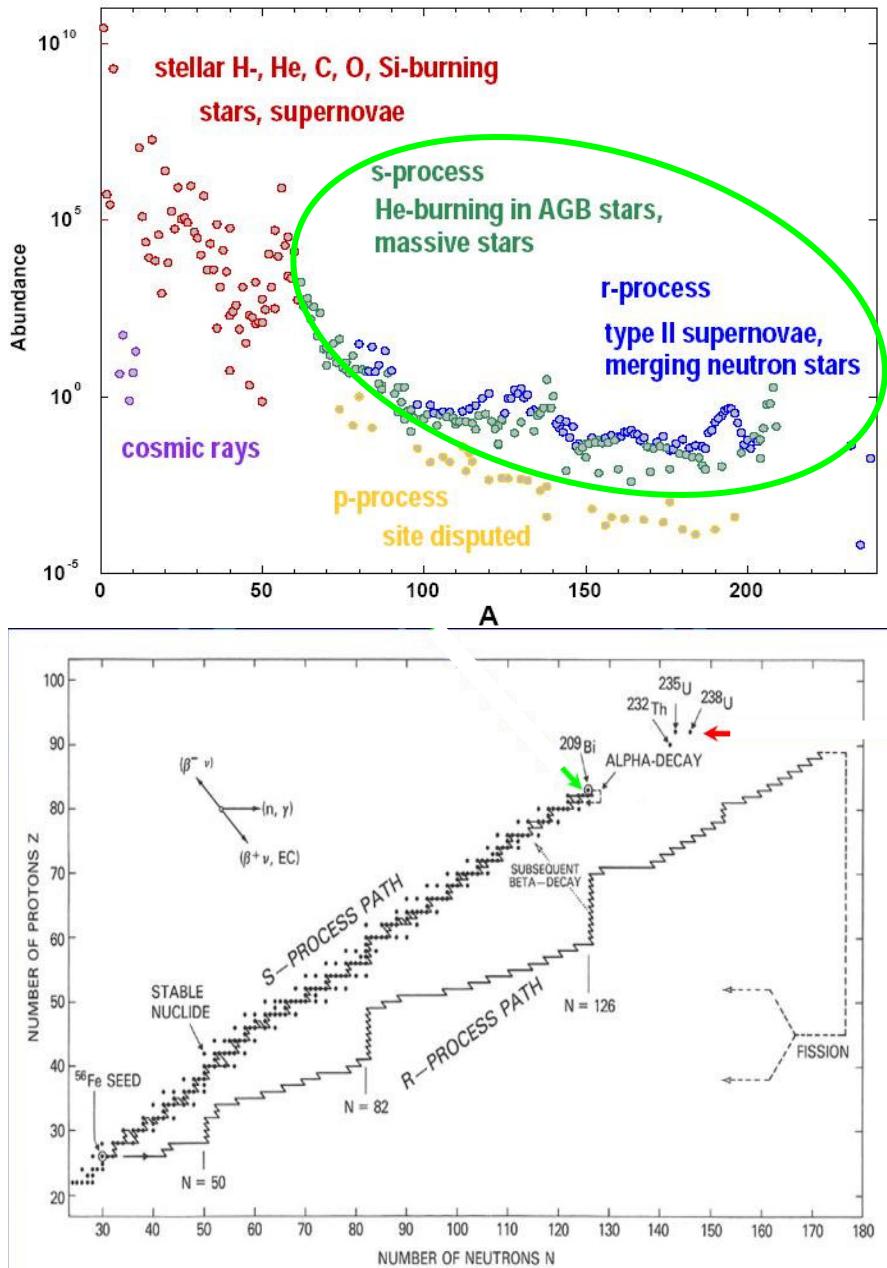


Nantes,  
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Jyvaskyla,  
Surrey

- Proposal for measurement at JYFL:
- Penning trap & precision trap to separate isotopes and isomers
- $^{92,93}\text{Rb}$ ,  $^{95}\text{Sr}$ ,  $^{96}\text{Y}$ ,  $^{99}\text{Y}$ ,  $^{100\text{m},100}\text{Y}$ ,  $^{100\text{m}}\text{Nb}$ ,  $^{100}\text{Nb}$ ,  $^{138}\text{I}$  and  $^{142}\text{Cs}$

## Existing TAS data (so far)

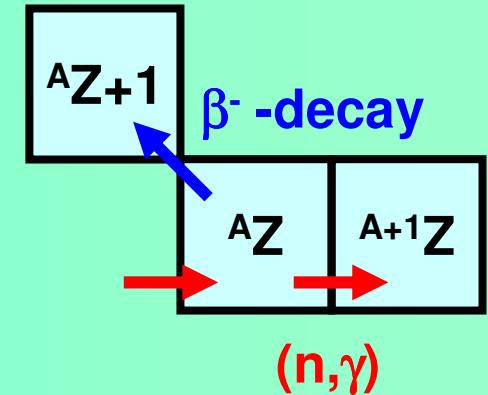




$$T_{1/2}^{-1} = \int_0^{Q_\beta} f(Q_\beta - E_x) S_\beta(E_x) dE_x$$

Neutron capture is the source of elements heavier than iron

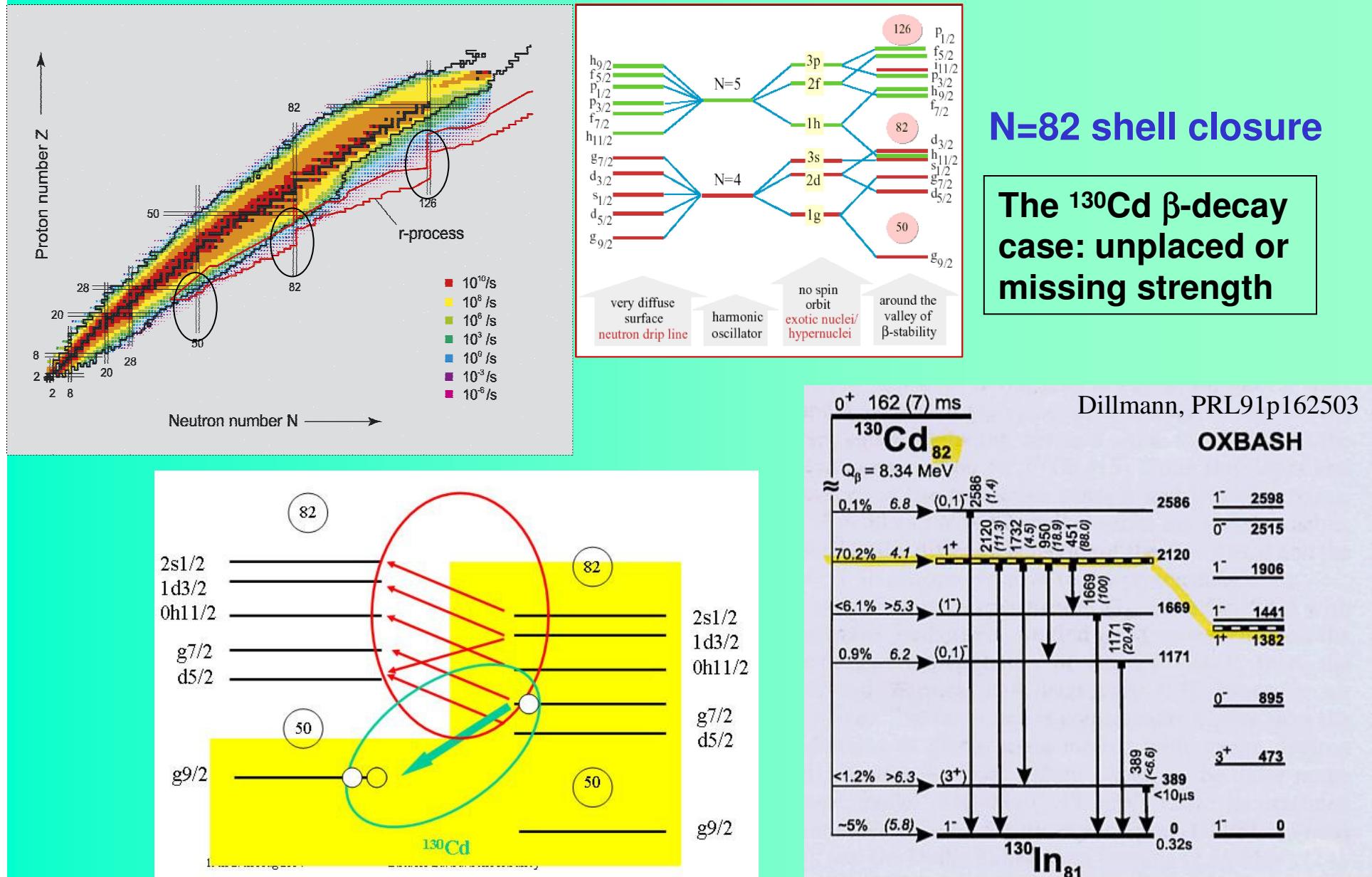
The interplay between  $\beta$ -decay and  $(n, \gamma)$  determine the isotopic abundances



- For the **r-process** (very far from stability) the relevant quantity is  $T_{1/2}$  (mostly theoretical)
  - ☞ trimming of the codes to reproduce  $S_\beta$

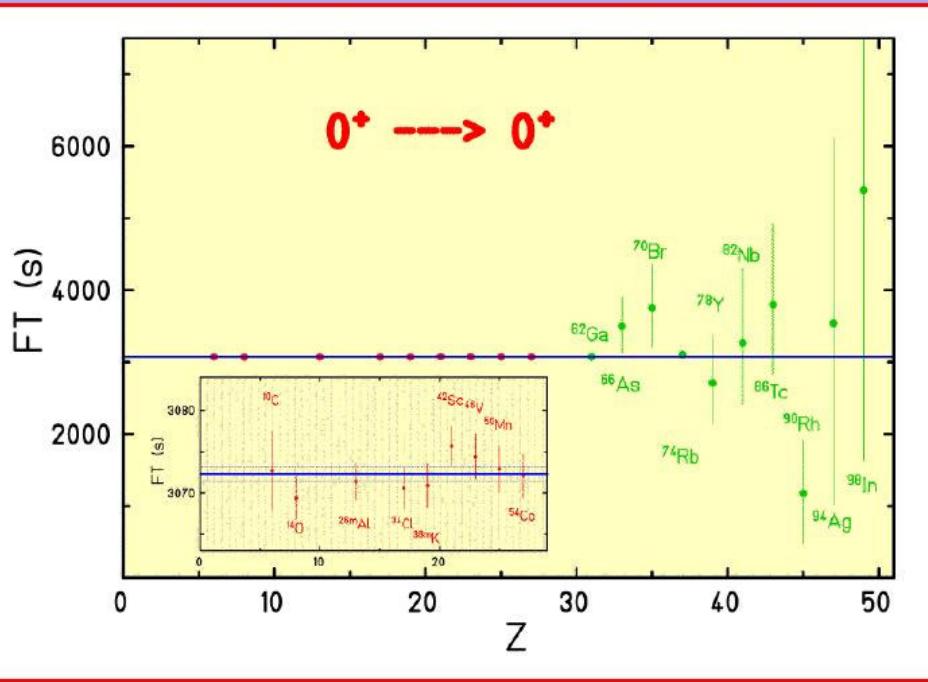
Improving the predictive power of theoretical calculations

A related but more general nuclear structure question:  
**Is the shell structure altered at extreme isospin values?**



# Test of the CVC hypothesis and unitarity of CKM matrix

## Super-allowed $0^+ \rightarrow 0^+$ $\beta$ -decay



## N=Z odd-odd nuclei:

$^{62}\text{Ga}$ ,  $^{66}\text{As}$ ,  $^{70}\text{Br}$ , ...,  $^{94}\text{Ag}$

# Use of TAS to detect high lying weak GT branches

Hardy & Towner PRL88p252501

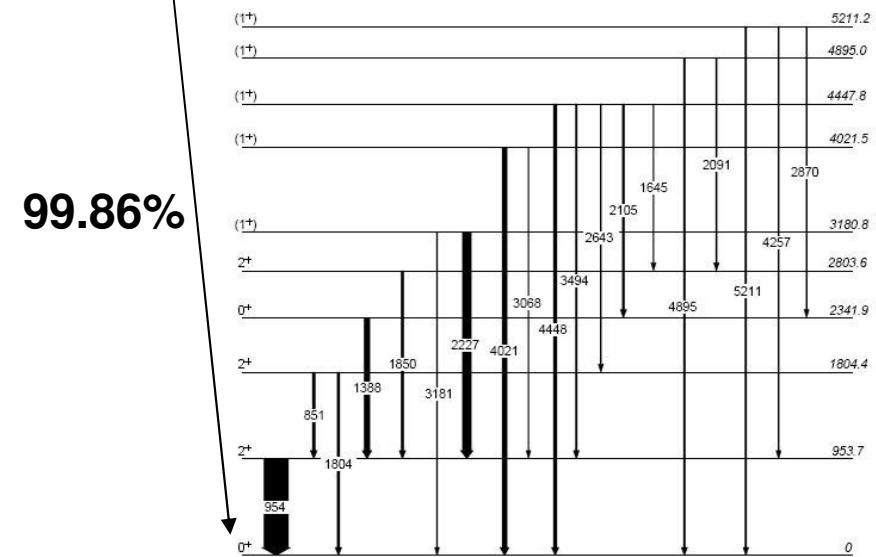
# Precision of $10^{-3}$ !

$$ft = \frac{T_{1/2} \cdot f(Q_{EC})}{I_\beta}$$

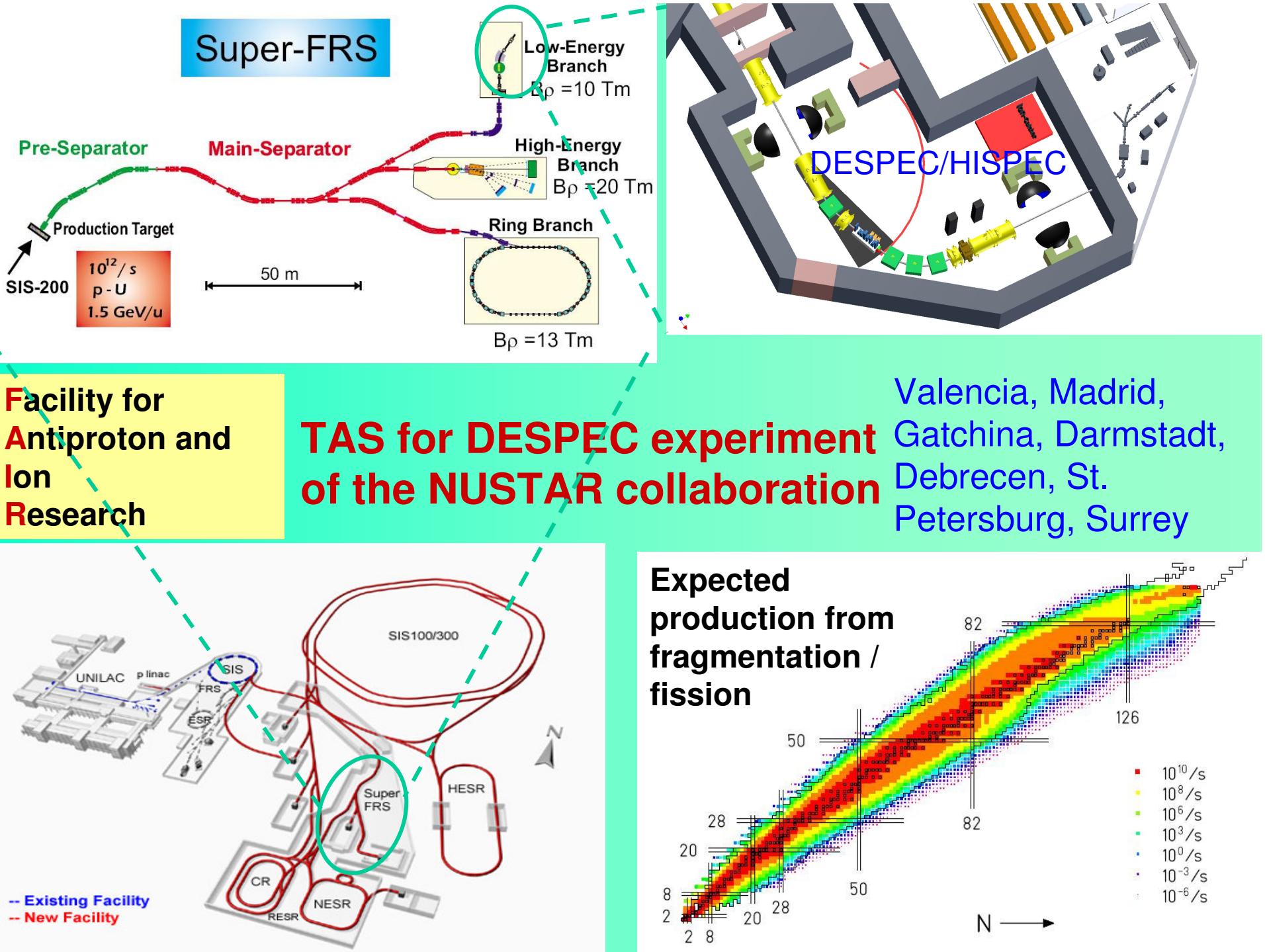
$$Ft = ft(1 + \delta'_R)(1 - \delta_C + \delta_{NS})$$

$$= \frac{K}{g_V^2 (1 + \Delta_R) \langle M_F \rangle^2}$$

$^{62}\text{Ga}$



Hyland, PRL97, 102501  $^{62}\text{Zn}$



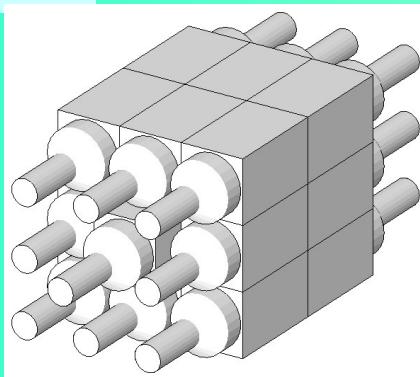
**16 + 1 modules:**

15×15×25 cm<sup>3</sup> **Nal(Tl)**

+ 5" PMT (50% light col.)

V= 95 L, M= 351 kg

$\Delta E/E \sim 5\%$   
(@1.3MeV)  
 $\Delta t \sim 2$  ns  
 $\tau \sim 230$ ns



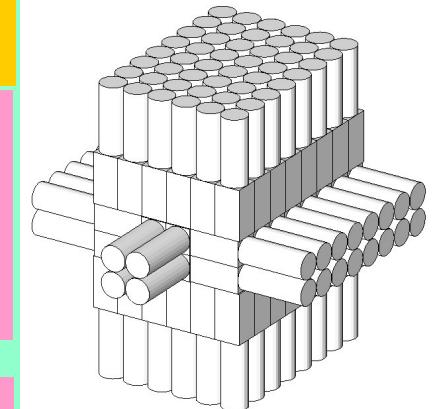
## DESPEC TAS design choices

**128 + 4 modules:**

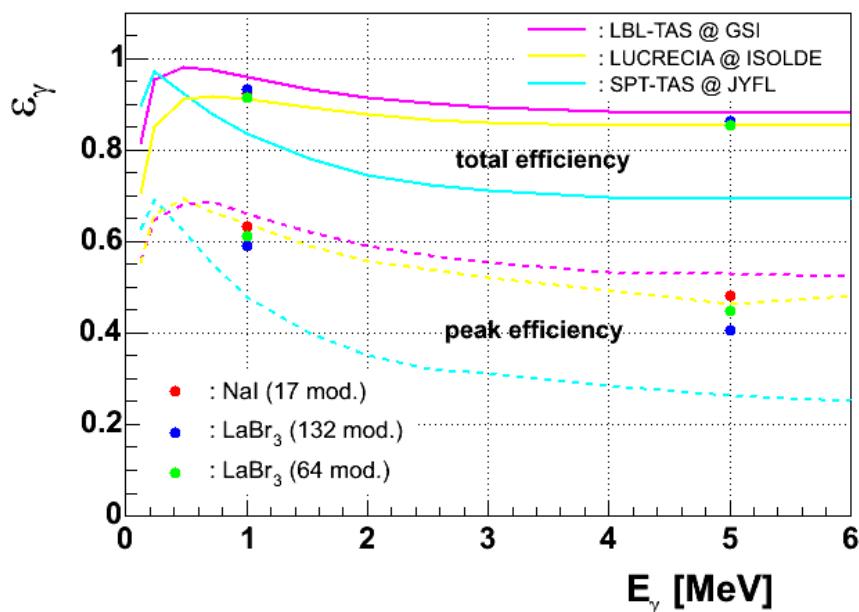
5.5×5.5×11 cm<sup>3</sup> **LaBr<sub>3</sub>:Ce**

+ 2" PMT (60% light col.)

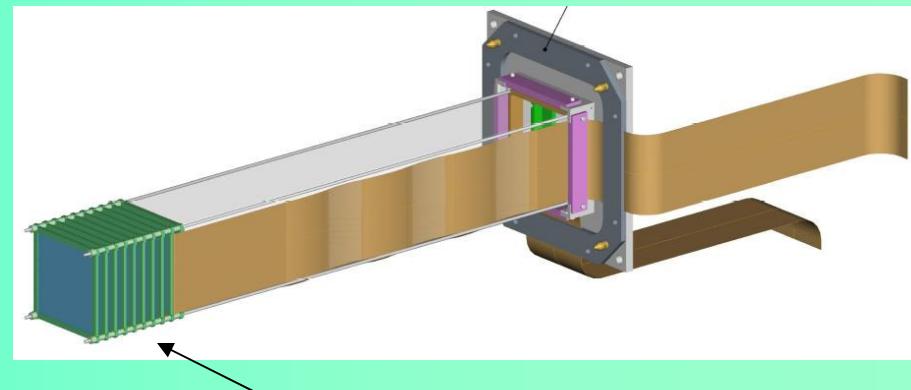
V= 44 L, M= 223 kg



$\Delta E/E \sim 2\%?$   
(@1.3MeV)  
 $\Delta t \leq 1$  ns  
 $\tau \sim 26/160$ ns



## AIDA implantation setup

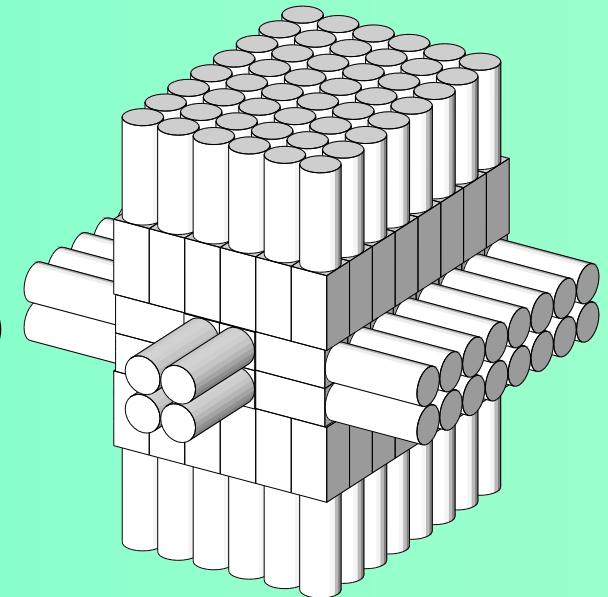


Stack of DSSSD

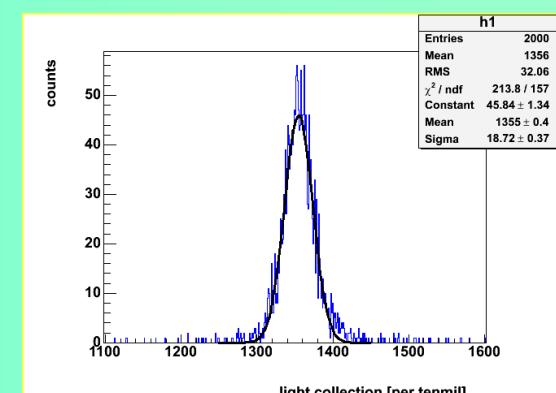
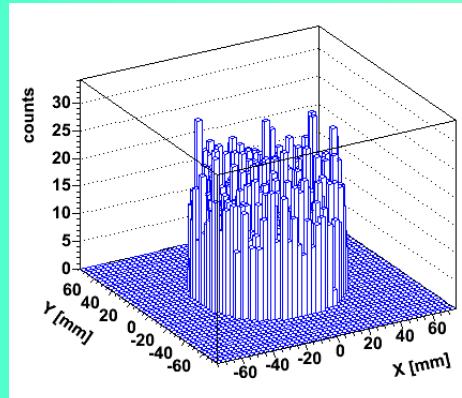
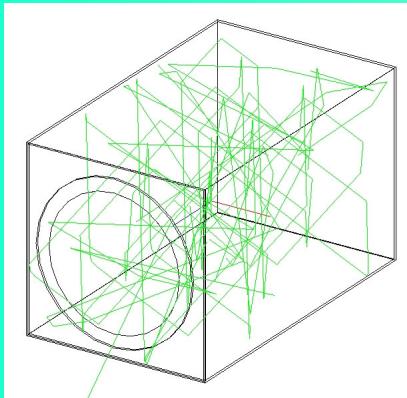
## The LaBr<sub>3</sub> case (prototype module):

In discussion with Saint-Gobain Crystals:

- Energy resolution
- Dead material (housing/reflector/assembly)
- PMT's, stabilization
- Mechanical construction
- Cost and delivery



In parallel MC simulation of performance:

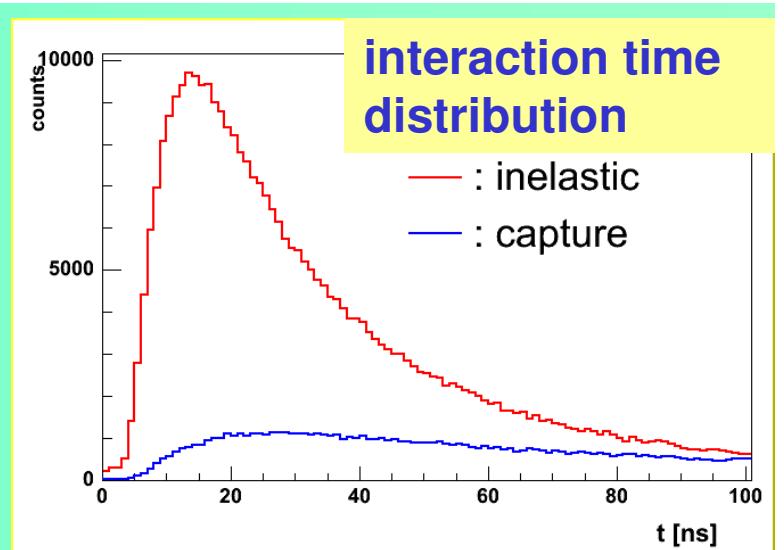
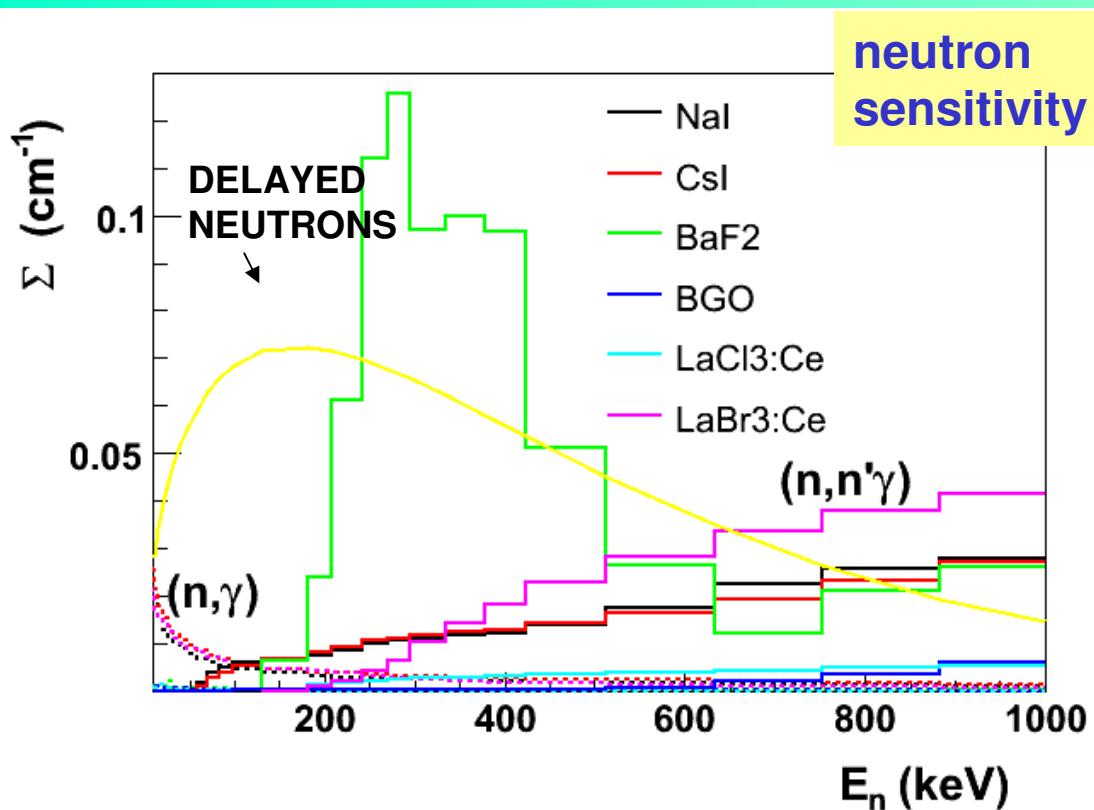
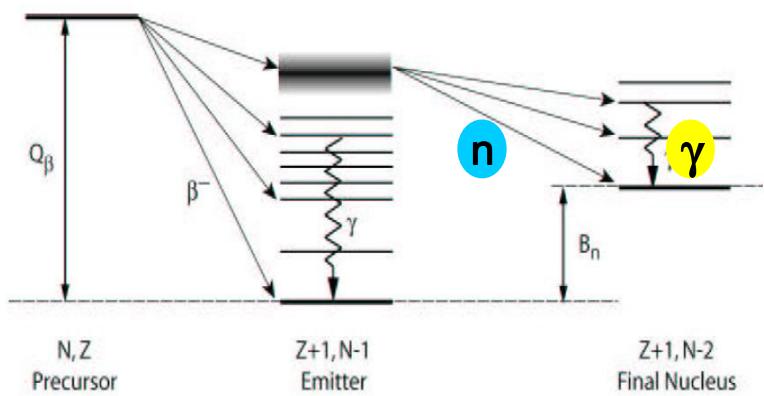


It can be converted into a low-resolution high-efficiency  
 $\gamma$ -ray array complementary/alternative to a Ge array

# Neutron sensitivity

(The case of delayed neutron emitters)

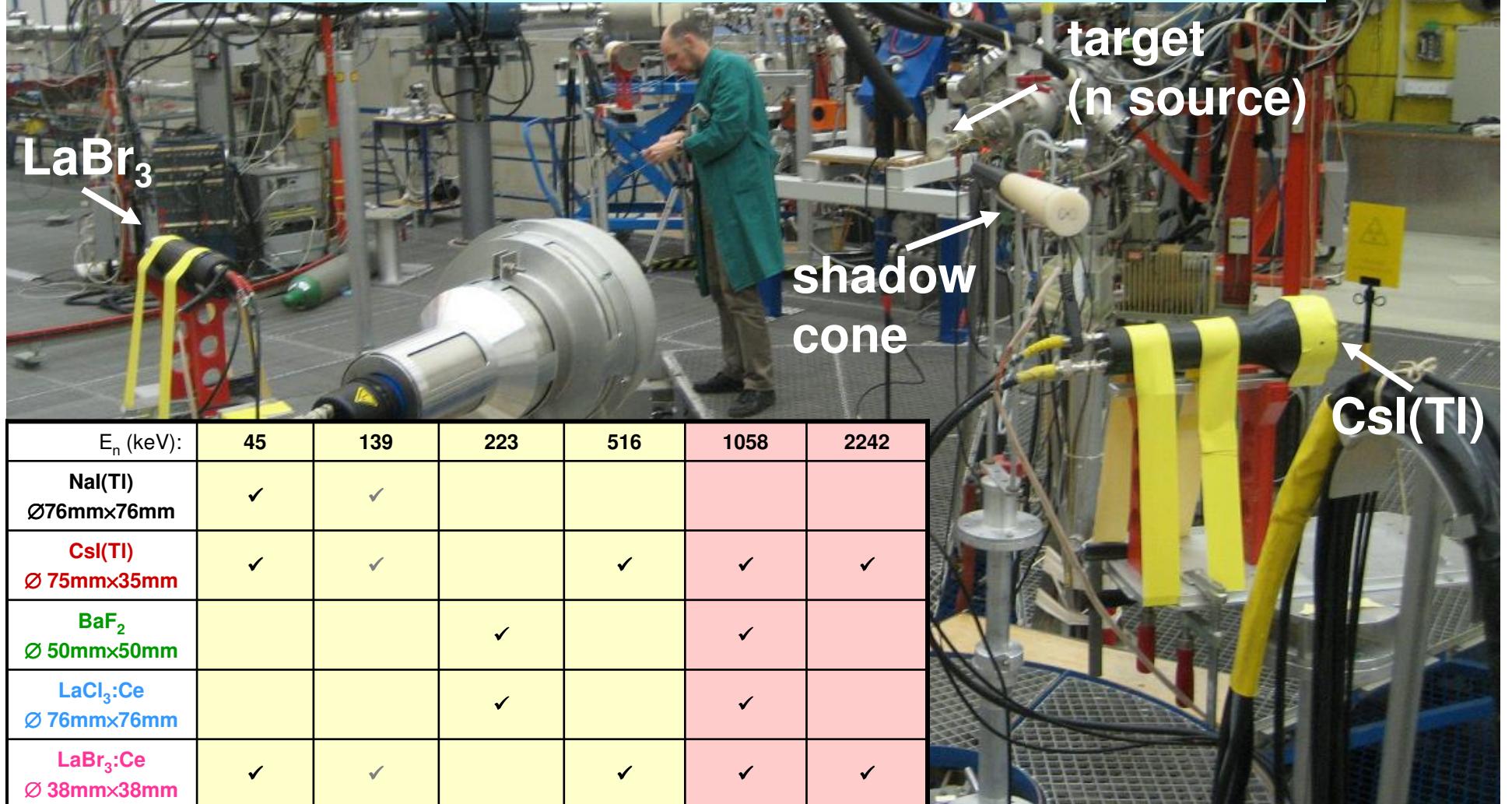
- Monte Carlo simulations: ↗  
MSc Thesis (D. Jordan, U. Valencia)
- n detection probability: NaI= 40% , BaF<sub>2</sub>=60%
- Discrimination through timing ( $\Delta t < 5\text{ns}$ )



**Validation of MC simulations through experimental tests:**

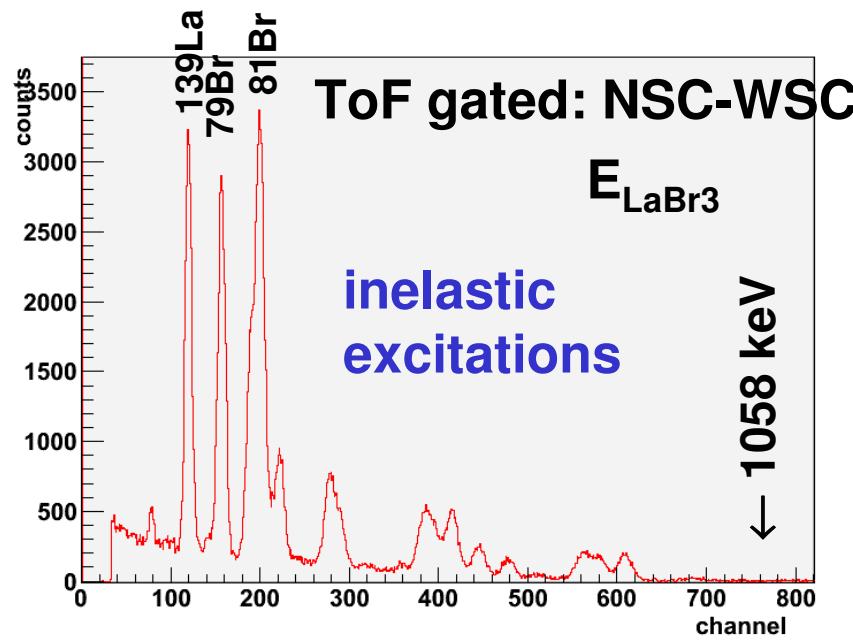
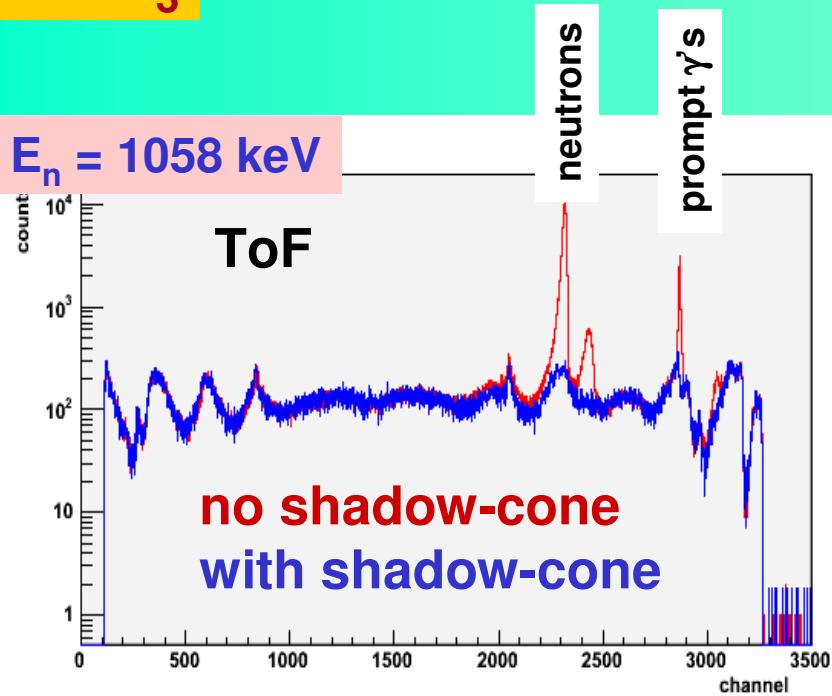
- **March, 9-13**
- **@ PTB-Braunschweig**

- Van de Graaff beam pulsed (1MHz) for ToF background discrimination
- LiF and Ti/T targets
- Measurements below and above the inelastic threshold
- Measurement with a “shadow cone” to isolate the effect of surrounding materials and determine background



**LaBr<sub>3</sub>**

$E_n = 1058 \text{ keV}$

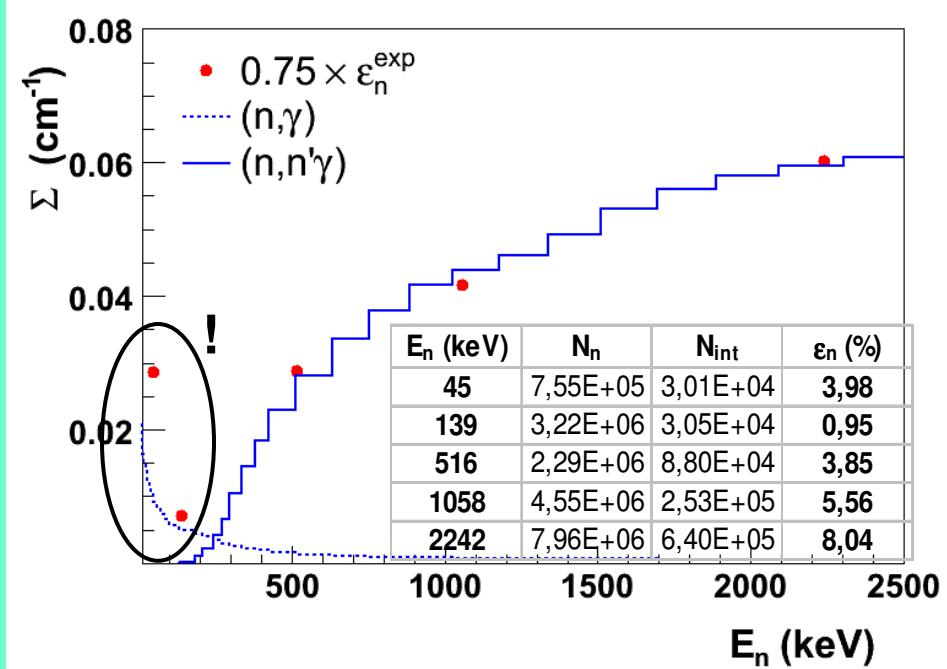


## RESULTS:

- The result is only meaningful in comparison with MC simulations

### MC simulations:

- need neutron reaction data for intervening isotopes: G4 missing information → new tool (CIEMAT)
- need proper  $\gamma$ -cascade generation: capture: new model (IFIC)  
inelastic: to be developed



**THANK YOU!**

# Requirements for reliable TAS result

## From the analysis point of view:

- Response must be accurately known:

→ for all particles emitted: e-/e+,  $\gamma$ -ray, ...  
→ response should depend “weakly” on de-excitation branching ratios

- Solution of inverse problem must be stable

NIM A430 (1999) 333  
NIM A430 (1999) 488  
NIM A571 (2007) 719  
NIM A571 (2007) 728

## From the experimental point of view:

### Spectrum must be clean:

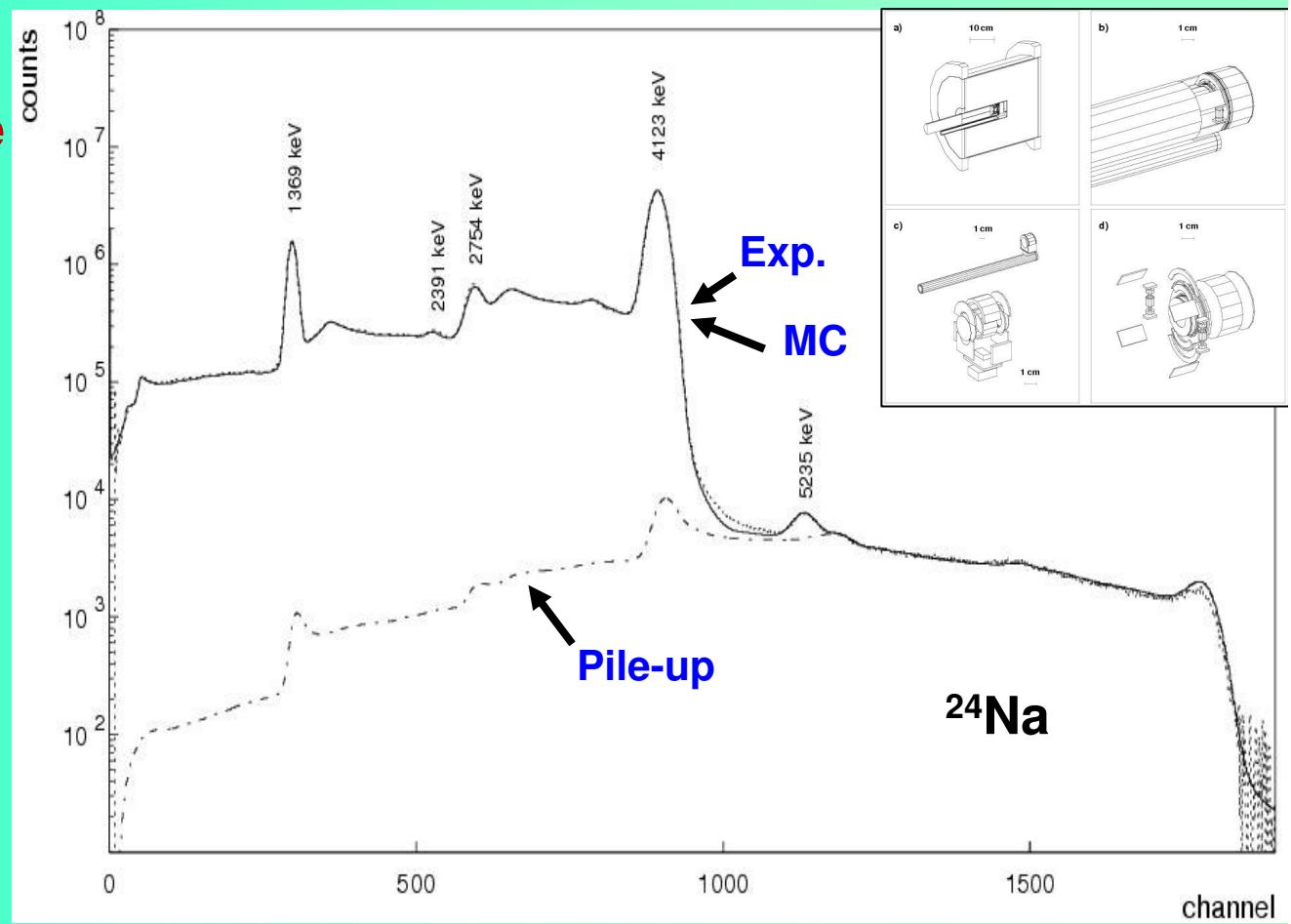
→ eliminate background and contaminations

- Production: clean (mass separators, traps, laser selective sources) or ion-per-ion identification
- Control of daughter activity
- Background reduction / measurement
- Spectrometer: highly efficient
- Spectrometer: good resolution
- Use of ancillary detectors

- During the past few years we have undertaken a **systematic investigation** of systematic uncertainties associated with the **analysis of TAS data**:

1. Demonstration of the accuracy of **Monte Carlo** simulations to obtain the spectrometer **response** (Cano et al. NIMA430, p.333)

2. Accurate calculation of pulse pile-up which constitutes an intrinsic background close to the end point (Cano et al. NIMA430, p.488)



3. Investigation of the adequacy of several **algorithms** for the solution of the TAS inverse problem (**Tain et al.**, **NIMA 571, 728**)

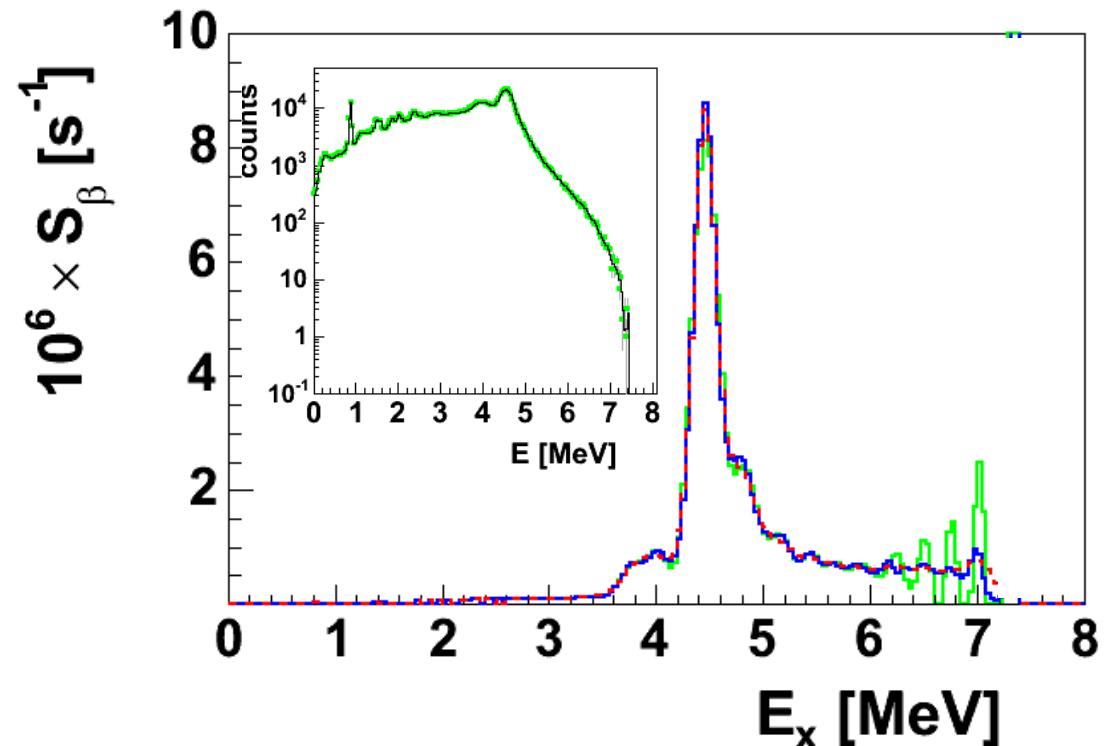
**LINEAR REGULARIZATION** ☺  
**MAXIMUM ENTROPY** ☺  
**EXPECTATION-MAXIMIZATION** ☺

Result insensitive to algorithm parameters:  
 $\lambda$ ,  $\mathbf{B}$ ,  $f^{(0)}$ ,  $n_{\text{iter}}$ , ...

**LR method:**  
polynomial smoothing

$$\mathbf{f} = (\mathbf{R}^T \cdot \mathbf{V}_d^{-1} \cdot \mathbf{R} + \lambda \mathbf{B}^T \cdot \mathbf{B})^{-1} \cdot \mathbf{R}^T \cdot \mathbf{V}_d^{-1} \cdot \mathbf{d}$$

$\lambda$ : regularization parameter,  $\mathbf{B}$ : regularization matrix,  $\mathbf{V}_d = [1/\sigma_i^2]$ : covariance matrix of data



The two (three) algorithms agree within few %

**ME method:**  
entropy maximization

$$f_j^{(s+1)} = f_j^{(s)} \exp \left( \frac{2}{\lambda} \sum_i \frac{R_{ij}}{\sigma_i^2} \left( d_i - \sum_k R_{ik} f_k^{(s)} \right) \right)$$

**EM method:**  
Bayes Theorem

$$f_j^{(s+1)} = \frac{1}{\sum_i R_{ij}} \sum_i \frac{R_{ij} f_j^{(s)} d_i}{\sum_k R_{ik} f_k^{(s)}}$$

#### 4. Investigation of the dependency of the result on the **assumption** about the cascade **branching ratios** (Tain et al., NIMA 571, 719)

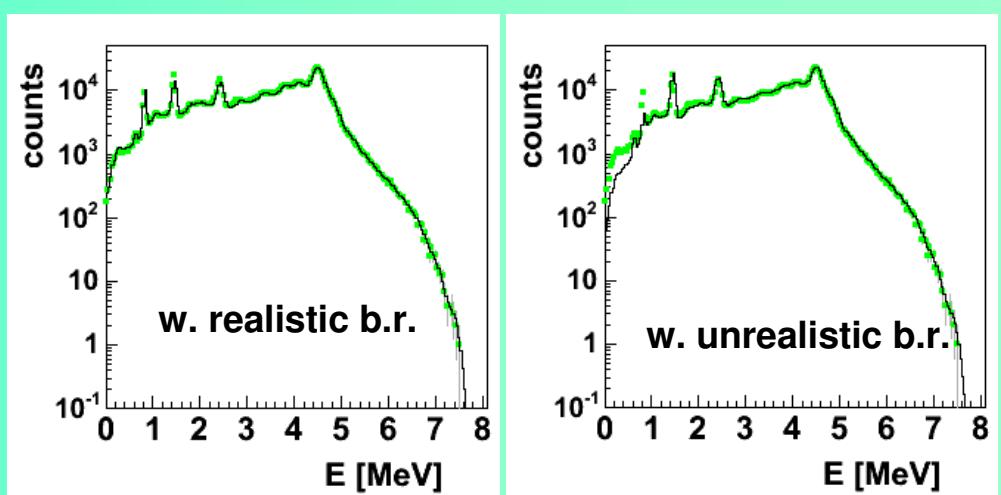
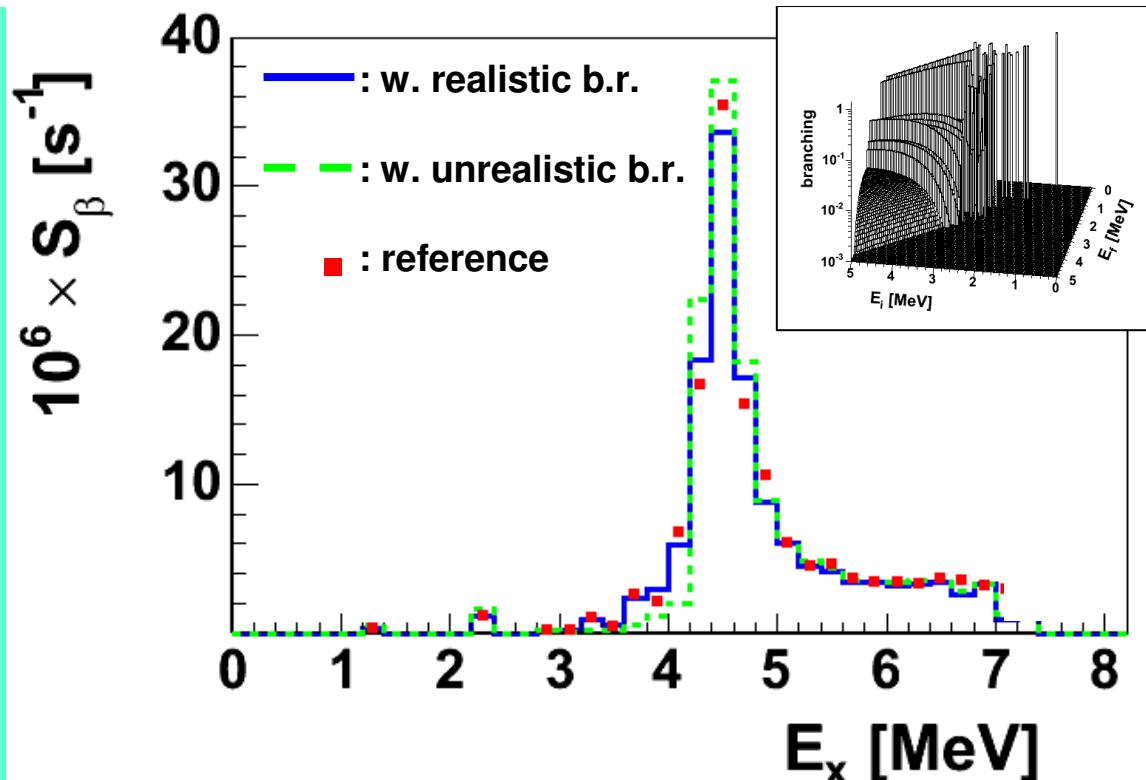
Needs to know the true branching ratios and intensity  
→ use statistical nuclear model to create decay of fictitious nucleus

$S_\beta$  at high energies (level densities) and  $\sum S_\beta$  is rather insensitive to b.r.

Rebinning of:

$$\mathbf{d} = \mathbf{R} \cdot \mathbf{f}$$

$$\mathbf{R}_j = \sum_{k=0}^{j-1} b_{jk} \mathbf{g}_{jk} \otimes \mathbf{R}_k$$



introduces non-negligible effect